

# Experimental and Theoretical Researches Regarding Ultrasonic Welding Process Optimization of the Polymeric Matrix Composite Materials

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*The optimization of the ultrasound welding of composed materials means finding an objective function that comprises all acoustic, mechanical and technological parameters and determining the minimum cost of the process or the maximum productivity in obtaining a superior quality of the welded join. In the paper there are presented the dependency of the quality of composed materials welded joins on acoustic parameters and mechanical and technological parameters.*

*Key words: ultrasounds, welding, plastic material, technology*

## Theoretical considerations

The quality of an ultrasound welded join of composed materials is determined by the following three groups of parameters:

- acoustic parameters: the ultrasound oscillation type exercised in the ultra acoustic system, the oscillation amplitude, the ultrasound oscillation frequency, the ultrasound energy intensity, the ultra acoustic energy density, the acoustic anvil reflection and absorption qualities;

- mechanical parameters: the static pressing force, the local static pressure of the joining surfaces, the maintaining pressure, the shape and material of the (sonotrod) and the acoustic anvil, the shape factor of the ultrasound energy concentrator, the welding time, the maintaining time;

- technological parameters: the composed materials nature, the geometrical configuration of the joining surfaces, the welding materials thickness, the joining surfaces state, the welding method, the demanded conditions of the functional role, the number of acoustic energy concentrators.

The optimization of the ultrasound welding of composed materials means finding an objective function that comprises all the parameters and determining the minimum cost of the process or the maximum productivity with the minimum cost or the maximum productivity in obtaining a superior quality of the welded join.

In most cases the quality of welded joins is estimated by determining the shearing-traction force  $F$ , needed to break the join of two welded bars.

The statistic analysis of the results presumes the calculation of the following [1, 20]:

-the medium value of the traction break force  $\bar{F}$ , that is calculated with the relation:

$$\bar{F} = \frac{1}{n} \sum_{i=1}^n F_i \quad (1)$$

-the corrected dispersion  $\bar{s}^2$ , with:

$$\bar{s}^2 = \frac{1}{n-1} \sum_{i=1}^n (F_i - \bar{F})^2 \quad (2)$$

-the corrected medium square deviation  $\bar{s}$ , with:

$$\bar{s} = \sqrt{\frac{1}{n-1} \sum_{i=1}^n (F_i - \bar{F})^2} \quad (3)$$

-the variation coefficient  $W$ , with:

$$W = \frac{\bar{s}}{\bar{F}} \cdot 100\% \quad (4)$$

where:  $F_i$  is the tested value ;  $n$ - number of measurements

To exclude the result of a reject we use the student criterion:

$$t = \frac{F_j - \bar{F}}{\bar{s}} \quad (5)$$

where:  $F_j$  is the tested value (the highest or the lowest in the  $n$  measurements)  $\bar{F}$  - the medium value of the traction break force.

To verify the hypothesis that two random medium values  $\bar{F}_1$  and  $\bar{F}_2$  belong to the same real value, first the „ $F$ ” test is used:

$$F = \frac{\bar{s}_1^2}{\bar{s}_2^2} \quad (6)$$

and then the „ $t$ ” test, under the form :

$$t = \frac{\bar{F}_1 - \bar{F}_2}{\bar{s}} \sqrt{\frac{n_1 \cdot n_2}{n_1 + n_2}} \quad (7)$$

where:  $\bar{F}_1$  and  $\bar{F}_2$  are the studied medium values;  $n_1, n_2$  - the number of experiments where  $\bar{F}_1, \bar{F}_2$  were determined;

$\bar{s}$  - the corrected medium square deviation, calculated as such:

$$\bar{s} = \sqrt{\frac{f_1 \cdot \bar{s}_1^2 + f_2 \cdot \bar{s}_2^2}{f}} \quad (8)$$

where:  $f_1 = n_1 - 1$ ;  $f_2 = n_2 - 1$ ;  $f = f_1 + f_2 = n_1 + n_2 - 2$  are the degrees of freedom.

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Due to the fact that it is extremely difficult to find an objective function that comprises all the acoustic, mechanical and technological parameters, there were established the dependencies between different parameters, in groups of three, using a 3D statistical analysis programme, and for the graphs canonic functions were used.

*The dependency of the quality of composed materials welded joints on acoustic parameters*

The quality of welded joints can be determined by the plastic deforming in joining materials' layers and influenced by the welding forming acoustic conditions [3, 4].

Acoustic conditions are produced by the action of welding materials of the different oscillation types (longitudinal, shearing, bending, spinning and combined) which are stimulated at the welding sight by performant ultra acoustic systems.

Experiments proved that by stimulating longitudinal waves in a sonotrod, the joining quality depends on the sonotrod's length, and the pressing static force application sight. In the case of bending oscillations, the welded joint quality is lower than in the anterior case, because of the high variation of frequency autoregulation system entrance impedance.

The experimental research made on certain polymeric matrix composed materials have shown that shearing or longitudinal-transversal oscillations insure a good removal of oxide layers from the joining surfaces, a better limitation of oxygen penetration in the welding area, a complex material displacing in the contact area, this way obtaining high quality welded joints [8, 11, 19].

*The dependency of welded joints resistance on oscillations amplitude*

The ultrasound oscillation welded joint forming process depends mostly on the sonotrod's A oscillation's amplitude and on the pressing static force  $P_s$ .

The variation of breaking resistance  $F$ , of the welded joint due to the A oscillation's amplitude and the welding time  $t$ , are presented in table 1 and figure 1.

We can observe that at lower values of oscillation amplitude we obtain lower resistance welded joints, and at lower than minimum amplitude values, the join can not be possible.

Dosing the acoustic energy in the welding zone is influenced by the acoustic concentrator frontal part oscillation amplitude value, which has to be higher in the first state of the join forming, that is the realization of the intimate contact between the welding surfaces. In the next state it is necessary that the oscillation amplitude to be lowered so that to avoid the breaking of the braces that formed, the entire acoustic energy being used for accelerating the plastifying and melting processes of the material in the welding area.

Temperature rising in the welding area boost the atom's thermic energy, which favors the transferring process of the material in the existing microspores, in the detriment of the diffusion process.

The A oscillation amplitude's variation, depending on the output power of the transducer  $W_t$  and the oscillation types are presented in table 2 and figure 2.

We observe that in all the cases there is a rise in the concentrators oscillation amplitudes, due to the output power rise.

Experimentally, it was established that the mechanical resistance  $F$ , of the welding process is most favorable for a

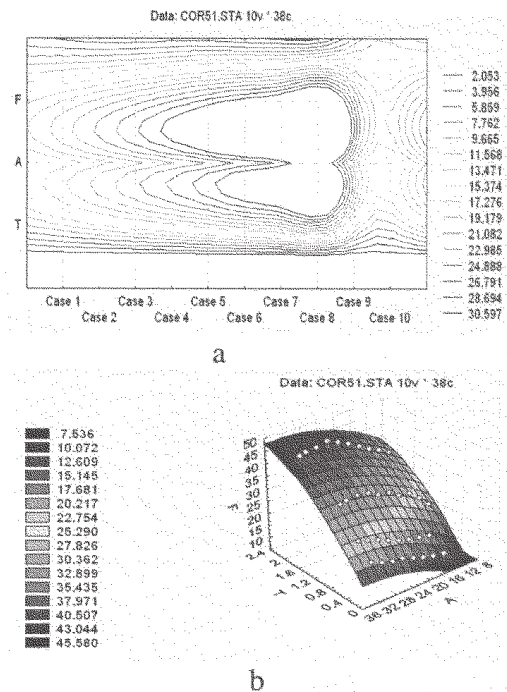


Fig.1. Variation of breaking resistance  $F$ , in daN depending on the oscillation amplitude  $A$ , in  $\mu\text{m}$  and the welding time  $t$ , in s: 1-  $t=0,15\text{s}$ ; 2- $t=0,5\text{s}$ ; 3- $t=1,0\text{s}$ ; 4- $t=2,0\text{s}$ ; a- the 3D graphic representation on contour; b - the 3D graph determined with the lowest squares method

certain amplitude and for a certain type of excited oscillation ultra acoustic (table 3 and fig.3).

The surface  $S_c$  between the contact asperities rises with the output power of the transducer  $W_t$  (table 4 and fig. 4), this being explained by the rise of thermic energy by super positioning the acoustic energy. Similarly, there is a rise of the coalescence depth  $h_p$  of the asperities that form the welded join. (table 5 and fig 5).

When welding with ultrasound composed materials, the optimum frequency is determined taking into account the oscillation amplitude, the ultrasound energy intensity, the static contact pressure, the welding materials nature and thickness.

**Table 1**  
DEPENDENCY  $F=f(A,t)$

$t$	$A$	$F$	$VA$
1	150	11.000	15.000
2	150	11.840	17.500
3	150	13.000	20.000
4	150	14.610	22.500
5	150	16.150	25.000
6	150	16.920	27.500
7	150	18.000	30.000
8	150	20.000	32.500
9	500	15.000	15.000
10	500	16.000	17.500
11	500	17.000	20.000
12	500	18.000	22.500
13	500	20.000	25.000
14	500	22.000	27.500
15	500	23.500	30.000
16	500	24.500	32.000
17	1.000	20.000	18.000
18	1.000	24.000	22.500
19	1.000	27.500	25.000
20	1.000	28.500	27.500
21	1.000	31.000	30.000
22	1.000	32.000	32.000
23	1.000	34.000	35.000
24	1.000	35.000	37.000
25	1.000	34.500	38.500
26	1.000	34.000	40.000
27	2.000	32.500	38.500
28	2.000	35.000	40.000
29	2.000	37.000	42.000
30	2.000	39.500	44.000
31	2.000	42.000	46.000
32	2.000	44.000	48.000
33	2.000	46.000	50.000

**Table 2**  
DEPENDENCY A= f(W<sub>p</sub>, OSCILATION TYPES)

#	1 TIP_osc	2 PUT_W	3 AMPLIT_A	4 V
1	1.000	5.000	7.100	
2	1.000	50.000	8.860	
3	1.000	60.000	10.690	
4	1.000	70.000	12.600	
5	1.000	80.000	15.000	
6	1.000	90.000	16.030	
7	1.000	100.000	17.410	
8	1.000	110.000	17.500	
9	2.000	5.000	5.000	
10	2.000	50.000	5.350	
11	2.000	60.000	6.030	
12	2.000	70.000	7.070	
13	2.000	80.000	9.300	
14	2.000	90.000	11.400	
15	2.000	100.000	15.000	
16	2.000	110.000	18.600	
17	3.000	5.000	5.000	
18	3.000	50.000	3.300	
19	3.000	60.000	3.000	
20	3.000	70.000	3.150	
21	3.000	80.000	4.650	
22	3.000	90.000	7.000	
23	3.000	100.000	10.000	
24	3.000	110.000	11.730	
25	4.000	5.000	8.100	
26	4.000	50.000	13.300	
27	4.000	60.000	15.000	
28	4.000	70.000	16.730	
29	4.000	80.000	17.800	
30	4.000	90.000	18.600	
31	4.000	100.000	18.800	

**Table 3**  
DEPENDENCY F=f(A, OSCILATION TYPES)

#	1 TIP_osc	2 AMP_A	3 REZ_F
1	1.000	2.500	5.290
2	1.000	5.000	5.850
3	1.000	7.500	7.000
4	1.000	10.000	8.710
5	1.000	12.500	9.290
6	1.000	15.000	8.710
7	1.000	17.500	7.290
8	1.000	20.000	5.000
9	1.000	22.500	4.430
10	1.000	25.000	3.570
11	1.000	27.500	3.430
12	1.000	30.000	3.430
13	2.000	2.500	3.998
14	2.000	5.000	4.425
15	2.000	7.500	4.860
16	2.000	10.000	5.700
17	2.000	12.500	6.430
18	2.000	15.000	6.860
19	2.000	17.500	7.290
20	2.000	20.000	7.570
21	2.000	22.500	7.290
22	2.000	25.000	6.720
23	2.000	27.500	6.150
24	2.000	30.000	5.860
25	3.000	2.500	0.000
26	3.000	5.000	0.000
27	3.000	7.500	3.000
28	3.000	10.000	3.860
29	3.000	12.500	4.430
30	3.000	15.000	5.290
31	3.000	17.500	6.000
32	3.000	20.000	7.000
33	3.000	22.500	8.140
34	3.000	25.000	8.710

There is an optimum frequency that obtains very high quality welds. Experimentally, it was established that, for a certain output power from the transducer, the higher the ultrasound frequency, the lower is the oscillation amplitude.

Depending on the output power of the transducer and the material nature, the obtained experiment results show that the optimum frequency is between 18...40 KHz (table 6, fig. 6)

*The dependency of welded joins resistance on the ultrasound energy intensity*

The optimum ultrasound energy intensity is difficult to determine because it depends on many parameters: the transducers output power, the amplitude at the peak of the concentrator, the nature of the oscillation conducted in the ultra acoustic system, the contact surfaces geometry, and the welding materials nature.

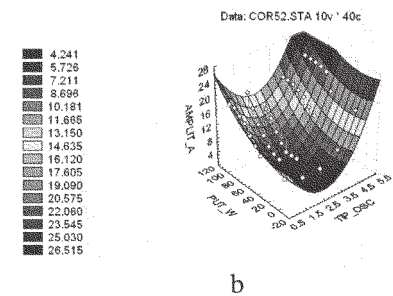
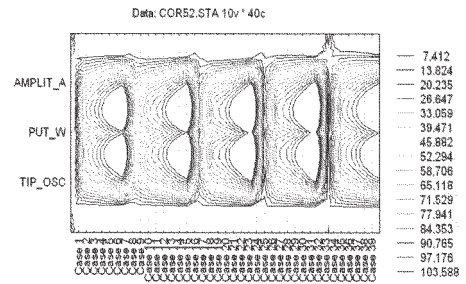


Fig. 2 The scillation amplitude's variation, in  $\mu\text{m}$ , depending on the output power of the transducer,  $W_p$ , in W and the oscillation types: 1 – longitudinal, 2 – shearing, 3 – bending, 4 – longitudinal-torsional, 5 – torsional. Material : ABS, Frequency 24 KHz; a - the 3D graphic representation on contour; b – the 3D graph determined with the lowest squares method

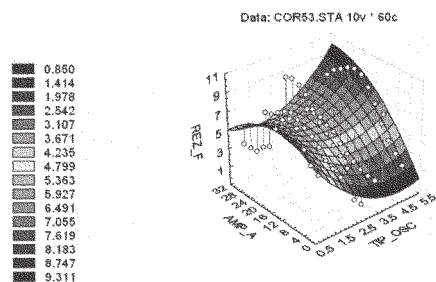
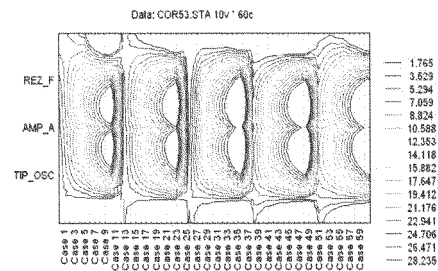


Fig 3. Variation of the resistance F, in daN depending on the oscillation amplitude A, in  $\mu\text{m}$  and the oscillation types 1-longitudinal, 2-shearing, 3 - bending, 4 -longitudinal-torsional, 5 - torsional.a - the 3D graphic representation on contour; b – the 3D graph determined with the lowest squares method

The obtained experiment results show that when the acoustic energy density rises to an optimum value, the welded joint breaking resistance also rises, with the lowering of the welding time (table 7 and fig. 7).

Over the optimum value of acoustic energy density, the thermal energy rises severely in the welding zone and the material is destroyed. We observe that the optimum acoustic energy is between 4...7 W/cm<sup>2</sup>, depending on the material nature, the amplitude and the static pressing force in the welding zone.

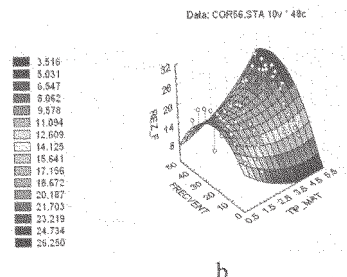
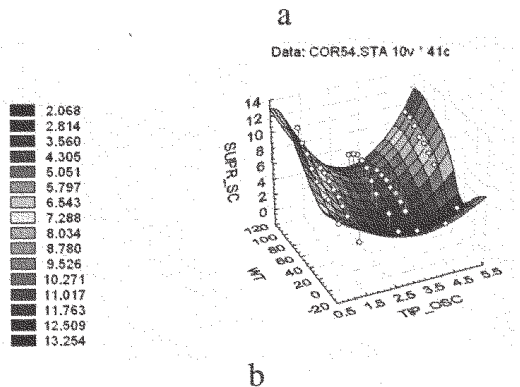
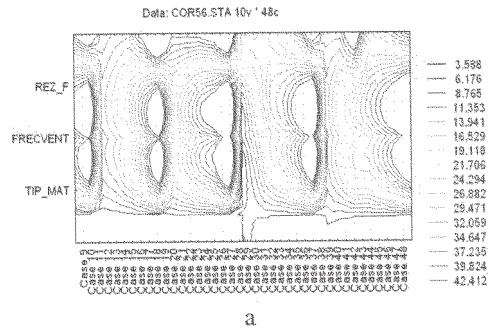
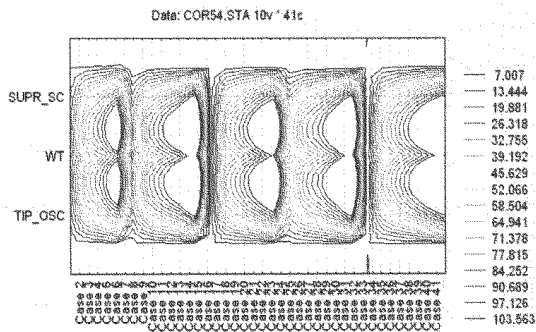


Fig. 6. Variation of the join's resistance F, in daN, depending on oscillation frequency (V), in Khz and plastic materials types: 1 - ABS, 2 - polistiren, 3 - polycarbonate, 4 - rough vinyl polichloride, 5 - high density poliethilen. a - the 3D graphic representation on contour; b - the 3D graph determined with the lowest squares method

Fig. 4. Variation of contact surface  $S_c$ , in  $10^{-2}mm^2$ , depending on the output power of the transducer  $W_p$ , in W and the oscillation types: 1 - longitudinal, 2 - shearing, 3 - bending, 4 - longitudinal-torsional, 5 - torsional. Material : ABS, Frequency 24 Khz; a - the 3D graphic representation on contour; b - the 3D graph determined with the lowest squares method

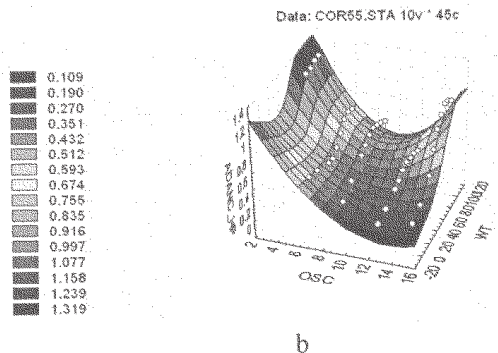
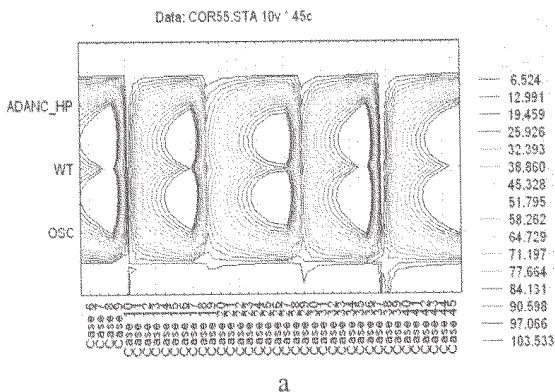


Fig. 5. Variation of interpenetration depth  $h_p$ , in mm, depending on the output power of the transducer  $W$ , in W and oscillation types: 1 - longitudinal, 2 - shearing, 3 - bending, 4 - longitudinal-torsional, 5 - torsional. Material : ABS, Frequency 24 Khz; a - the 3D graphic representation on contour; b - the 3D graph determined with the lowest squares method

#	WT	SUPR_SC
1	5.000	5.710
2	25.000	7.300
3	50.000	7.900
4	60.000	8.860
5	70.000	10.000
6	80.000	10.720
7	90.000	12.000
8	25.000	1.000
9	50.000	2.570
10	60.000	3.140
11	70.000	3.710
12	80.000	4.000
13	90.000	4.430
14	100.000	4.850
15	110.000	4.860
16	5.000	2.860
17	25.000	3.710
18	50.000	4.570
19	60.000	5.570
20	70.000	6.570
21	80.000	6.860
22	90.000	7.000
23	100.000	6.430
24	110.000	5.710
25	25.000	6.00
26	50.000	1.430
27	60.000	2.000
28	70.000	2.430
29	80.000	2.570
30	90.000	2.860
31	100.000	2.860
32	110.000	4.000
33	5.000	5.000
34	25.000	5.70

Table 4  
DEPENDENCY  
 $S_c = f(W_p, OSCILLATION$   
TYPES)

#	WT	ADANC_HP
1	5.000	686
2	25.000	815
3	50.000	960
4	60.000	1.043
5	70.000	1.115
6	80.000	1.187
7	90.000	1.200
8	100.000	1.230
9	110.000	1.230
10	5.000	486
11	25.000	429
12	50.000	343
13	60.000	330
14	70.000	400
15	80.000	515
16	90.000	629
17	100.000	557
18	110.000	629
19	5.000	257
20	25.000	371
21	50.000	515
22	60.000	571
23	70.000	629
24	80.000	657
25	90.000	629
26	100.000	590
27	110.000	543
28	5.000	057
29	12.000	086
30	25.000	157
31	50.000	200
32	60.000	257
33	70.000	286
34	80.000	271
35	90.000	

Table 5  
DEPENDENCY  
 $h_p = f(W_p,$   
OSCILLATION  
TYPES)

**Table 6**  
DEPENDENCY  $F=f(v, \text{PLASTIC MATERIAL TYPES})$

#	TP_MAT	FREQVENT	REZ_F
1	1.000	5.000	14.200
1	1.000	10.000	16.200
1	1.000	12.500	17.600
1	1.000	15.000	20.000
1	1.000	20.000	22.400
1	1.000	22.500	22.600
1	1.000	25.000	23.000
1	1.000	30.000	22.600
1	1.000	35.000	21.600
1	1.000	40.000	20.000
1	1.000	45.000	16.400
2	2.000	5.000	8.800
2	2.000	10.000	11.200
2	2.000	15.000	15.000
2	2.000	20.000	17.600
2	2.000	24.000	18.400
2	2.000	30.000	15.400
2	2.000	35.000	10.800
2	2.000	41.000	4.000
2	2.000	19.000	10.000
3	3.000	22.500	13.600
3	3.000	25.000	15.000
3	3.000	30.000	17.400
3	3.000	32.500	18.400
3	3.000	35.000	18.000
3	3.000	40.000	16.200
3	3.000	45.000	13.000
4	4.000	9.000	20.000
4	4.000	12.500	22.400
4	4.000	16.000	22.600
4	4.000	20.000	22.800
4	4.000	25.000	22.900
4	4.000	27.500	22.800
4	4.000	30.000	22.800

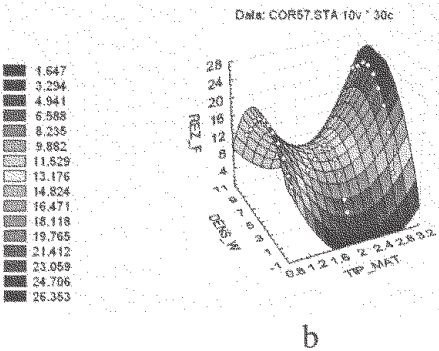
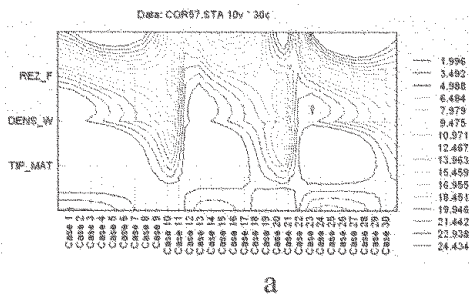


Fig. 7. Variation of the joint's resistance  $F$ , in daN, depending on the acoustic energy density  $I_s$ , in  $W/cm^2$ , and plastic materials types: 1 - ABS, 2 - high density poliethilen, 3 - polycarbonat,  $P_s=10$  daN;  $D_f=30$  mm;  $A=24\mu m$ ;  
a - the 3D graphic representation on contour;  
b - the 3D graph determined with the lowest squares method

*The dependency of the welded joint's resistance on the static pressing force*

Theoretical and experimental research have shown the decisive role of the static pressing force on the ultrasound welded joints medium breaking resistance [21-23].

The results obtained for the ABS welding (table 8 and fig. 8), indicate an optimum value for the static pressing force, which depends on the welding time  $t$ , and the concentrator's amplitude  $A$  (table 9 and fig. 9).

We can observe that, while the static pressing force rises, the acoustic concentrator's peak amplitude is lowered, and when going over the optimum static pressing

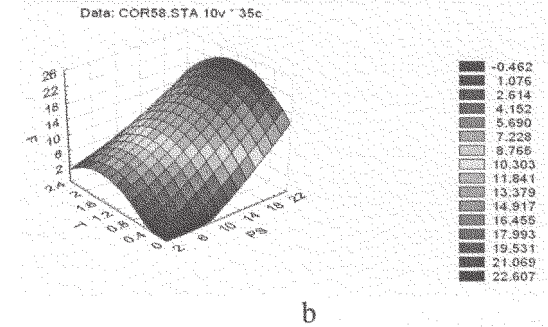
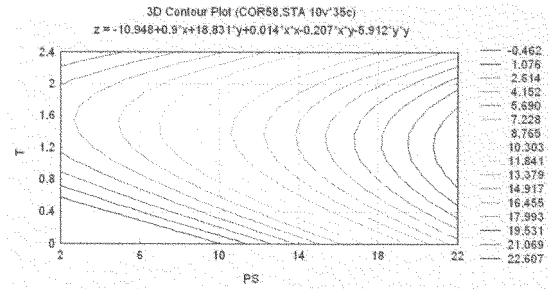


Fig. 8. Variation of the joint's resistance  $F$ , in daN, depending on the welding time  $t$ , in s and the static pressing force  $P_s$ , in daN: 1-  $P_{sy}=5$  daN; 2-  $P_s=10$  daN; 3-  $P_s=15$  daN; 4-  $P_s=20$  daN;  
a - 3D graphic representation on contour; b - 3D graph determined with the lowest squares method

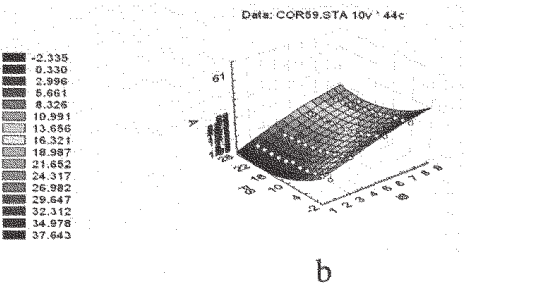
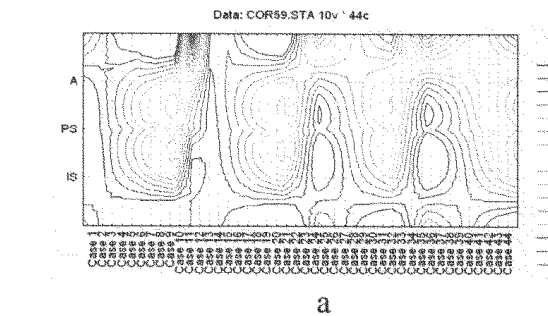


Fig. 9. Variation of oscillation amplitude  $A$ , in  $\mu m$ , depending on the static pressing force  $P_s$ , in daN, and on the acoustic energy density  $I_s$ , in  $W/cm^2$ : 1-  $2W/cm^2$ ; 2-  $4W/cm^2$ ; 3-  $6W/cm^2$ ; 4-  $8W/cm^2$ ;  
a - the 3D graphic representation on contour;  
b - the 3D graph determined with the lowest squares method  
Material ABS; Frequency: 24 KHz; Amplitude  $A$ : 30  $\mu m$

force there is a significant drop in the welded joint's resistance.

The static pressing force influences the local contact pressure (table 10 and fig. 10). We observe that at different acoustic energy densities, the local contact pressure rises with the rise of the static pressing force.

Depending on the static pressing force, for different material thicknesses, we obtain the optimum values for the welded joints resistance (table 11 and fig. 11).

**Table 7**  
DEPENDENCY  $F=f(I_s, \text{PLASTIC MATERIAL TYPES})$

#	1 TIP_MAT	2 DENS_V	3 REZ_F
1	1.000	500	14.070
2	1.000	1.000	15.620
3	1.000	2.000	18.140
4	1.000	3.000	20.000
5	1.000	4.000	20.930
6	1.000	5.000	21.240
7	1.000	6.000	20.930
8	1.000	7.000	20.000
9	1.000	8.000	18.140
10	1.000	9.000	15.000
11	1.000	10.000	12.520
12	2.000	500	5.000
13	2.000	1.000	7.170
14	2.000	2.000	11.240
15	2.000	3.000	13.410
16	2.000	4.000	14.380
17	2.000	5.000	13.760
18	2.000	6.000	11.860
19	2.000	7.000	7.800
20	2.000	8.000	4.690
21	2.000	8.500	3.100
22	3.000	2.000	8.450
23	3.000	3.000	16.240
24	3.000	4.000	20.930
25	3.000	5.000	23.450
26	3.000	6.000	25.310
27	3.000	7.000	25.930
28	3.000	8.000	25.310
29	3.000	9.000	23.450

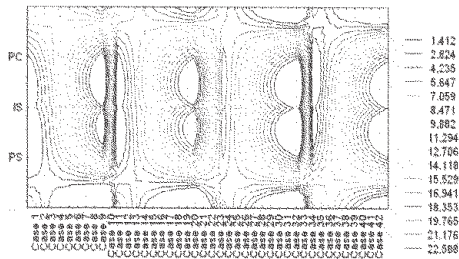
**Table 8**  
DEPENDENCY  $F=f(t, P_s)$

#	1 t	2 T	3 F
1	5.000	250	800
2	5.000	500	1.600
3	5.000	750	3.000
4	5.000	1.000	4.500
5	5.000	1.250	5.500
6	5.000	1.500	7.000
7	5.000	1.750	6.500
8	5.000	2.000	4.500
9	10.000	150	2.800
10	10.000	250	3.500
11	10.000	500	5.000
12	10.000	750	7.000
13	10.000	1.000	10.000
14	10.000	1.250	12.500
15	10.000	1.500	13.500
16	10.000	1.750	13.000
17	10.000	2.000	12.500
18	15.000	150	7.500
19	15.000	250	8.500
20	15.000	500	9.500
21	15.000	750	11.500
22	15.000	1.000	16.500
23	15.000	1.250	17.500
24	15.000	1.500	16.500
25	15.000	1.750	13.700
26	15.000	2.000	11.000
27	20.000	150	12.000
28	20.000	250	14.500
29	20.000	400	18.500
30	20.000	500	22.000
31	20.000	650	23.500
32	20.000	750	23.000
33	20.000	850	21.000
34	20.000	1.000	20.000

**Table 9**  
DEPENDENCY  $A=f(P_s, I_s)$

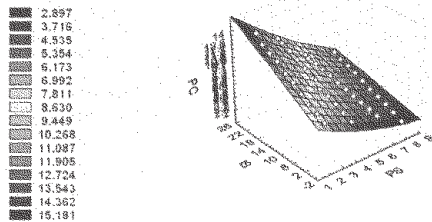
#	1 P_s	2 I_s	3 A
1	2.000	0.000	8.000
2	2.000	2.500	7.000
3	2.000	5.000	6.000
4	2.000	7.500	4.800
5	2.000	10.000	3.500
6	2.000	12.500	5.000
7	2.000	15.000	2.300
8	2.000	17.500	1.850
9	2.000	20.000	1.750
10	2.000	22.500	1.750
11	2.000	25.000	1.750
12	4.000	0.000	61.000
13	4.000	2.500	13.700
14	4.000	5.000	11.500
15	4.000	7.500	9.500
16	4.000	10.000	8.000
17	4.000	12.500	6.500
18	4.000	15.000	5.500
19	4.000	17.500	4.500
20	4.000	20.000	4.000
21	4.000	22.500	3.500
22	4.000	25.000	2.800
23	6.000	0.000	26.000
24	6.000	2.500	23.500
25	6.000	5.000	20.800
26	6.000	7.500	19.000
27	6.000	10.000	17.500
28	6.000	12.500	16.000
29	6.000	15.000	15.000

Data: COR510.STA 10v \* 42c



a

Data: COR510.STA 10v \* 42c



b

Fig. 10 Variation of the local contact pressure  $p_c$ , in  $\text{daN/cm}^2$ , depending on the static pressing force  $P_s$ , in  $\text{daN}$ , and on the energy density  $I_s$ , in  $\text{W/cm}^2$ : 1-  $2\text{W/cm}^2$ ; 2-  $4\text{W/cm}^2$ ; 3-  $6\text{W/cm}^2$ ; 4-  $8\text{W/cm}^2$ ; a - the 3D graphic representation on contour; b - the 3D graph determined with the lowest squares method  
Material ABS; Frequency: 24 KHz; Amplitude A: 25  $\mu\text{m}$

Data: COR511.STA 10v \* 40c

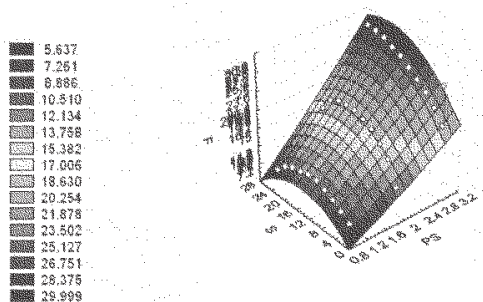


Fig. 11 Variation of the joint's resistance  $F$ , in  $\text{daN}$ , depending on the static pressing force  $P_s$ , in  $\text{daN}$ , and on the welding materials' thickness  $s$ , in  $\text{mm}$ : 1-  $s=1,0+1,0$ ; 2-  $s=2,0+2,0$ ; 3-  $s=3,0+3,0$   
The 3D graph determined with the lowest squares method

Data: COR512.STA 10v \* 33c

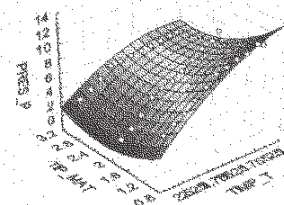
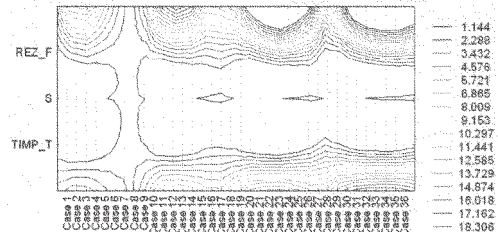


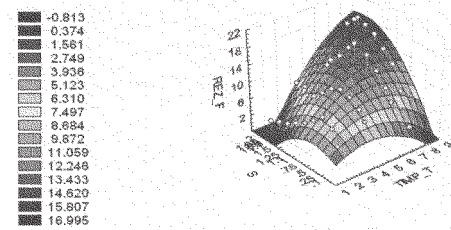
Fig. 12 Variation of the local contact static pressure,  $p_c$ , in  $\text{daN/cm}^2$ , depending on the welding time  $t$ , in  $\text{s}$  and the plastic material types: 1 - ABS, 2 - high density poliethilen, 3 - polycarbonat.. The 3D graph determined with the lowest squares method

Data: COR513.STA 10v \* 37c



a

Data: COR513.STA 10v \* 37c



b

Fig.13. Variation of the welding resistance  $F$ , in  $\text{daN}$  depending on the welding time  $t$ , in  $\text{s}$  and the welding parts thickness  $s$ , in  $\text{[mm]}$ : 1-  $1,0+1,0$ ; 2-  $2,0+2,0$ ; 3-  $3,0+3,0$ ; 4-  $4,0+4,0$ ;  
a- the 3D graphic representation on contour; b- the 3D graph determined with the lowest squares method  
Material ABS; Frequency: 24 KHz; Amplitude A: 25  $\mu\text{m}$

**Table 10**  
DEPENDENCY  $p_c=f(p_s, I_s)$

#	1 I <sub>S</sub>	2 P <sub>S</sub>	3 P <sub>C</sub>
10	2.000	22.000	14.000
11	4.000	0.000	5.400
12	4.000	2.500	6.000
13	4.000	5.000	6.600
14	4.000	7.500	7.100
15	4.000	10.000	7.400
16	4.000	12.500	8.300
17	4.000	15.000	9.100
18	4.000	17.500	9.700
19	4.000	20.000	10.300
20	4.000	22.500	10.900
21	4.000	24.000	11.200
22	6.000	0.000	4.600
23	6.000	2.500	4.900
24	6.000	5.000	5.100
25	6.000	7.500	5.400
26	6.000	10.000	5.700
27	6.000	12.500	6.000
28	6.000	15.000	6.400
29	6.000	17.500	6.700
30	6.000	20.000	6.900
31	6.000	22.500	7.000
32	6.000	23.500	7.300
33	8.000	0.000	2.000
34	8.000	2.500	2.600
35	8.000	5.000	3.200
36	8.000	7.500	3.700
37	8.000	10.000	4.000
38	8.000	12.500	4.600
39	8.000	15.000	5.200
40	8.000	17.500	5.700
41	8.000	20.000	6.000
42	8.000	22.000	6.600

**Table 11**  
DEPENDENCY  $F=f(p_s, s)$

#	1 P <sub>S</sub>	2 S	3 F
1	1.000	2.500	7.100
2	1.000	5.000	8.600
3	1.000	7.500	9.800
4	1.000	10.000	10.700
5	1.000	12.500	11.300
6	1.000	15.000	11.400
7	1.000	17.500	10.800
8	1.000	20.000	10.300
9	1.000	22.500	9.300
10	1.000	25.000	7.200
11	2.000	2.500	10.000
12	2.000	5.000	15.000
13	2.000	7.500	17.000
14	2.000	10.000	19.000
15	2.000	12.500	20.000
16	2.000	15.000	20.700
17	2.000	17.500	20.650
18	2.000	20.000	20.300
19	2.000	22.500	19.300
20	2.000	25.000	16.400
21	3.000	2.500	18.600
22	3.000	5.000	21.400
23	3.000	7.500	23.600
24	3.000	10.000	25.000
25	3.000	12.500	26.400
26	3.000	15.000	27.800
27	3.000	17.500	28.600
28	3.000	20.000	29.600
29	3.000	22.500	30.000
30	3.000	25.000	30.200
31	3.000	2.500	27.200

**Table 12**  
DEPENDENCY  $p_c=f(t, \text{PLASTIC MATERIALS TYPES})$

#	1 TIME T	2 PRES P	3 P
1	1.000	100	11.200
2	1.000	250	11.600
3	1.000	500	10.800
4	1.000	750	10.600
5	1.000	1.000	10.200
6	1.000	1.250	9.800
7	1.000	1.500	8.600
8	1.000	1.750	7.400
9	1.000	2.000	6.200
10	1.000	2.250	5.400
11	1.000	2.500	4.400
12	2.000	100	10.000
13	2.000	250	9.000
14	2.000	500	8.400
15	2.000	750	7.400
16	2.000	1.000	6.400
17	2.000	1.250	5.600
18	2.000	1.500	5.200
19	2.000	1.750	4.400
20	2.000	2.000	2.400
21	2.000	2.250	1.200
22	2.000	2.500	200
23	3.000	100	6.000
24	3.000	250	5.600
25	3.000	500	6.400
26	3.000	750	6.200
27	3.000	1.000	6.000
28	3.000	1.250	5.800
29	3.000	1.500	5.600
30	3.000	1.750	5.500
31	3.000	2.000	4.200
32	3.000	2.250	3.200
33	3.000	2.500	2.400

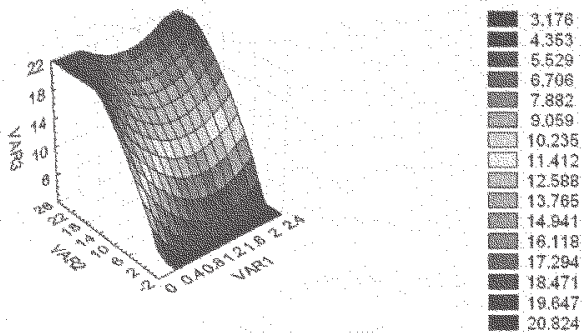


Fig.14. The variation of the welding resistance F, in daN (VAR 3) depending on the welding time t, in s (VAR 1) and the plastic material types (VAR2): 1- high density poliethilen; 2- ABS; 3- polycarbonat; 3D graph determined with the lowest squares method Frequency: 24 KHz; Amplitude A: 25 μm

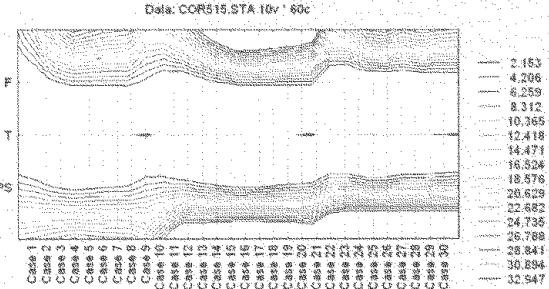
**The dependency of welded joints quality on local contact static pressure**

The experimental research made on different materials have shown the dependency of the local contact static pressure on the static pressing force, on the welding time, the welding parts thicknesses, the dimensions and geometrical configurations of the contact area.

We observe that, while the welding time rises, going from the first to the second stage of the welding process, the contact area expands, determining a drop in the local contact static pressure (table 12 and fig.12). There is an optimum value for the local contact static pressure, over which the welding is not possible.

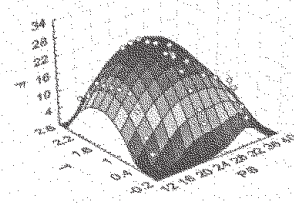
For a high quality welded joint, it is necessary to make a certain geometry for the contact area, the so-called acoustic energy concentrators. These obtain not only a rapid acoustic and thermic energy concentration in the local welding areas, but also a high static pressure in these areas, pressure that drops when the concentrators melt, enlarging the contact area.

The number and dimensions of these concentrators depend on the materials' nature, and on the geometrical configuration of the welding parts.



a

Data: COR515.STA 10v \* 60c



b

Fig. 15. Variation of the join's resistance F, in daN, depending on the welding time t, in s and the static pressing force  $P_s$ , in daN: 1-  $P_s=15$  daN; 2-  $P_s=25$  daN; 3-  $P_s=35$ daN; A - the 3D graphic representation on contour; B - the 3D graph determined with the lowest squares method

**Table 13**  
DEPENDENCY  $F=f(t,s)$

#	TIMP T	S	REZ F
1	2.000	100	4.170
2	2.000	250	7.480
3	2.000	500	8.900
4	2.000	750	6.930
5	2.000	1.000	5.000
6	2.000	1.250	3.620
7	2.000	1.500	2.200
8	2.000	1.750	1.380
9	2.000	2.000	280
10	4.000	100	7.200
11	4.000	250	9.450
12	4.000	500	11.100
13	4.000	750	11.650
14	4.000	1.000	10.550
15	4.000	1.250	8.350
16	4.000	1.500	6.350
17	4.000	1.750	7.520
18	4.000	2.000	7.200
19	6.000	100	9.450
20	6.000	250	11.930
21	6.000	500	14.720
22	6.000	750	17.200
23	6.000	1.000	18.350
24	6.000	1.250	16.660
25	6.000	1.500	13.620
26	6.000	1.750	11.380
27	6.000	2.000	9.720
28	8.000	100	0.000
29	8.000	500	7.500
30	8.000	750	12.800
31	8.000	1.000	15.280
32	8.000	1.250	17.480
33	8.000	1.500	18.620
34	8.000	1.700	19.450
35	8.000	1.800	18.620
36	8.000	2.000	16.650

**Table 14**  
DEPENDENCY  $F=f(t, P, \text{PLASTIC MATERIAL TYPES})$

#	TIP MAT	TIMP T	REZ F
1	1.000	500	9.100
2	1.000	750	4.690
3	1.000	1.000	6.220
4	1.000	1.250	7.140
5	1.000	1.500	7.480
6	1.000	1.750	7.178
7	1.000	2.000	6.860
8	1.000	2.250	6.240
9	1.000	2.500	5.620
10	2.000	100	6.240
11	2.000	500	8.100
12	2.000	750	11.240
13	2.000	1.000	12.800
14	2.000	1.250	14.070
15	2.000	1.500	15.000
16	2.000	1.750	15.620
17	2.000	2.000	15.500
18	2.000	2.250	15.000
19	2.000	2.500	13.760
20	3.000	100	13.100
21	3.000	250	15.620
22	3.000	500	17.830
23	3.000	750	20.000
24	3.000	1.000	21.240
25	3.000	1.250	22.500
26	3.000	1.500	22.170
27	3.000	1.750	20.620
28	3.000	2.000	16.550
29	3.000	2.250	12.480
30	3.000	2.500	10.000

**Table 15**  
DEPENDENCY  $F=f(t,P)$

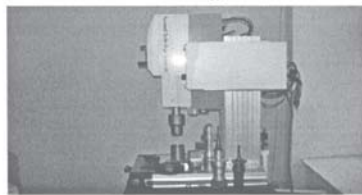
#	F	T	F
1	15.000	300	1.860
2	15.000	500	6.240
3	15.000	750	13.760
4	15.000	940	18.760
5	15.000	1.250	18.140
6	15.000	1.500	17.210
7	15.000	1.750	16.510
8	15.000	1.940	16.240
9	15.000	2.250	10.000
10	15.000	2.500	7.480
11	25.000	100	8.140
12	25.000	250	11.860
13	25.000	500	16.860
14	25.000	750	21.860
15	25.000	1.000	26.240
16	25.000	1.100	28.760
17	25.000	1.500	27.170
18	25.000	1.750	26.240
19	25.000	2.000	25.620
20	25.000	2.250	23.140
21	25.000	2.500	20.000
22	35.000	100	4.380
23	35.000	250	7.480
24	35.000	500	12.480
25	35.000	620	14.380
26	35.000	1.000	13.140
27	35.000	1.370	11.860
28	35.000	1.870	13.760
29	35.000	2.250	13.140
30	35.000	2.500	12.830



a



b



c



d



e

Fig.16. The MECASONIC ultrasound welding installation of composed materials used in the experiments: general view; b- frontal view; c- lateral view; d- detail with the used ultraacoustic systems; e- the pneumatic equipment KAESER for triggering the ultraacoustic system

The variation of the breaking resistance  $F$ , of the welding joint depending on the welding time  $t$  and the static pressing force  $P_s$ , are presented in table 15 and figure 15. We observe that there is an optimum value for the welding time for each value of the static pressing force, the maximum welded joint's resistance being higher or lower depending on  $P_s$  value.

Directly correlated with the welding time is the plastering speed in the welding areas. The short time rise of this speed based on the action of the acoustic energy in the contact area creates favorable conditions for the welding process to develop.

In concordance with the welded parts functional role, the technological parameters directly influence the shape, size and characteristics of the welded joints.

*The dependency of welded joints quality on the welding material nature*

The obtained experimental results have shown that the weld ability is appreciated by the damping factor  $\beta$ , of the oscillations amplitude in that material [21-23] [1]. As the damping factor is higher, the energy will be less leading to the welding materials separation limit and so, the welded joint will be more difficult to form, and the parts thicknesses will have to be smaller to obtain a quality weld.

### *The dependency of welded joints quality on the welding materials' surface micro irregularities*

Every surface micro regularity is an acoustic energy concentrator and the first melted areas will appear in the higher microirregularities. The melted material is sent to the lower micro irregularities contributing to the melting intensification in these ones, this process being accelerated by the acoustic energy introduced in the welding area. Experimental results confirmed that, as the contact surface micro irregularities are bigger, so does the welding process prime faster, making a higher quality weld.

### *The dependency of welded joints quality on the welding method*

The welding method influences in a special way the welded joints quality because depending on it the ultrasound energy introduced in the surface micro irregularities is assigned, the ultrasound energy is dosed, and the degree of continuity and mechanization of the welding process is obtained.

By the way the assignment and dosage of the ultrasound energy are made in the welding surfaces, there are „close field” and „far field” welding methods used.

The experiments were made on different composed materials on existing equipment at different enterprises or on existing installations in the T.M.S. department (fig.17).

### **Conclusions**

The making of ultrasound welded composed materials is a complex technology because there must be taken into account several acoustic, mechanical and technological parameters, that have different influences on the welding process.

The main acoustic parameters that must be optimized are: the acoustic conditions and the ultrasonic oscillation type in the ultra acoustic system; the oscillation amplitude, the ultrasound oscillation frequency, the ultrasound energy intensity, the ultra acoustic energy density, the reflexion and absorption qualities of the acoustic anvil, etc.

The main mechanical parameters that must be optimized are: the static pressing force, the local static contact pressure of the welding areas, the shape factor of the ultrasound energy concentrator, the shape and material of the sonotrod and of the acoustic anvil, the welding type, the maintaining time, etc.

The main technological parameters that must be optimized are: the welding materials nature, the geometrical configuration of the welding surfaces, the welding materials thickness, the welding surfaces state, the welding method, etc.

The quality of ultrasound welded joints also depend on other parameters that have not been treated in this paper, that is the state and quality of the sonotrod surface and of the acoustic anvil, the cleaning state of the welding surface, the physical state of the limit contact area of the welding materials, the nature of the surroundings in which the welding is made, etc.

The optimization of the ultrasound welding process means finding an objective function that comprises all the parameters, function that can be optimized with a minimum cost of the welding operation or with a maximum productivity. Because it is extremely hard to find such a function, there were established the dependencies between different parameters, in groups of three, using a 3D analysis programme, and for the graphs there were used canonic functions.

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